



13. Hamilton: $21.7^{\circ}\text{C} - (-5.5^{\circ}\text{C})$ or 26.2°C

3.2 Exercises, page 158

- mean: 72, median: 69, mode: none
 - mean: \$755, median: \$687.50, mode: \$625
 - mean: 2.7, median: 3, mode: 3
 - mean: 5.8 min, median: 6.5 min, mode: 5.0 min and 7.0 min
 - mean: 11.56, median: 12, mode: 15
 - mean: \$8704.50; median: \$0; mode: \$0
- Answers may vary. Example:

(a) median	(b) median	(c) mode
(d) median	(e) median	(f) mean or mode
- skewed right
 - skewed right
 - symmetric
 - skewed left
 - skewed left
 - skewed right
- 7.18, 7, 8
 - mean and median; they are equal and take into account the other sizes; mode = most popular size
- (ii)
 - (iii)
 - (i)
 - (iv)
- No; there could be many low sales, but one very high outlier.
 - No; it depends on the number of people in each class.
 - No; the maximum value could have been 20, but it did not have to be 20.
 - No; the median does not show what the values to the left and right are. It is only the middle value. The other numbers could be very high or very low.
 - Yes; since each salary is raised by 10%, that is the same as raising the mean by 10%.
 - Yes; the middle salary is still the median; therefore, it is \$33 000 after the raise.
 - This is possible if the data are strongly skewed and there are some high outliers.
 - No; the store could have sold 20 pop, 20 rock, and 30 classical, for example.
- Compact: mean: 29 mi/gal, median: 30 mi/gal; Luxury: mean: 18 mi/gal, median: 16 mi/gal; Family: mean: 21 mi/gal, median: 21 mi/gal

- Compact: mean and median: right side because largest frequencies are to the right; Luxury: mean and median: left side because largest frequencies are to the left; Family: mean and median: right side because largest frequencies are to the right and centre
- 5, 10, 10, 10, 15
 - 5, 5, 5, 100, 100
 - 10, -10, 15, 15, 15
 - Calgary: 3.6; Ottawa: 5.6
 - Find the number of students in each class. Multiply each mean by the number of students in its class, add these two numbers, and divide the sum by the total number of students in the two classes.
 - mean: 6.78, median: 7, mode: 7
 - mean: 1980–1989; median: 1980–1989; modal interval: 1990–1999
 - at least 58.3%
 - 75%
 - Not possible; you would need 108.3%.
 - 5, 5, 10, 10, 15, 15
 - 3, 5, 5, 12, 15, 15, 15
 - The median is the middle value and it does not take into account what the other values are. The mean weighs every number the same. Thus, it is influenced by outliers.
 - $\frac{a+b+c+d}{4}$
 - $\frac{k(a+b+c+d)}{4}$
 - $\frac{b+c}{2}$
 - $\frac{k(b+c)}{2}$
 - $\frac{a+b+c+d}{4} + p$ or $\frac{a+b+c+d+4p}{4}$
 - $\frac{b+c+2p}{2}$

3.3 Exercises, page 168

- 75.9, 37.3
 - 38.6
 - 63.95
 - 25%
 - 17.7
- range: 8, Q1: 3, Q2: 6, Q3: 7, IQR: 4
 - range: 80, Q1: 16, Q2: 40, Q3: 68, IQR: 52
 - range: 30, Q1: 7, Q2: 13.5, Q3: 16, IQR: 9
 - range: 28, Q1: 5, Q2: 6, Q3: 9, IQR: 4
- 0.37
 - 2.87
 - 0.70
 - 2.65
- (iii)
 - (ii)
 - (iv)
 - (i)
- Q1: \$30 000, Q2: \$32 000, Q3: \$34 000, IQR: \$4000, σ : \$2665
- Yes, if all the numbers are the same.
- Class A: mean: 71.9, standard deviation: 6.01; Class B: mean: 71, standard deviation: 3.98; Class C: mean: 70.4, standard deviation: 5.68; Class D: mean: 76.9, standard deviation: 1.91; lowest pulse rate: Class C; most consistent pulse rate: Class D
 - Class A: median: 73, IQR: 12; Class B: median: 70, IQR: 6; Class C: median: 69, IQR: 8; Class D: median: 76, IQR: 2; No, because the low IQR means consistent results, as the standard deviation showed. The lowest median is in Class C, showing the low pulse rate as the mean showed.
- June and July have the biggest difference between high and low temperatures.
 - mean temperature: 4.8°C , mean high temperature: 10.6°C , mean low temperature: 1.4°C
 - range: 31.5°C , high: 32.7°C , low: 30.2°C ; IQR: 22.2°C , high: 22.55°C , low: 19.95°C ; standard deviation: 11.76, high: 11.48, low: 10.36
 - temperature: 6, high: 6, low: 6
- No. She is more consistent. Her standard deviation now is 1.8 and before it was 3.9.
- range: 7, standard deviation: 2.22, IQR: 3
 - They would double.
 - They would all stay the same.
- Prince Edward Island; Its standard deviation of 1.1 is the lowest.